# **EGARCH Model Prediction for Sale Stock Price**

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model.

# A. INTRODUCTION

Capital Market is a securities trading activity and public offering. Securities trading issued is related to public companies, agencies, and other jobs related to it (?). Samsul defines the capital market as a place or means of meeting the needs and supply of long-term monetary instruments. Overall, the capital market is a method for framing capital and accumulating reserves aimed at expanding public cooperation in supporting assets for the development of national development assets (Samsul, 2006). The capital market is also a well-organized forum for trading securities, also known as the Stock Exchange. According to Nasarudin, the stock exchange is a forum/means to bring together investors with companies that trade securities so that there is a sale and purchase offer (Nasarudin et al., 2014). Article 1 paragraph 4 of the capital market law states that the stock exchange is a legal place for trading securities according to law. The stock exchange operator must be an individual who already has a business license from Bapepam (UUPM Article 6 paragraph 1). Stock is an investment in the capital market that is very promising for investors. Return is the value of profits or losses obtained from investments within a certain period of time (Zulfikar and Si, 2016) (Husein and Widyasari, 2022). Shares are evidence of participation owned by individuals or institutions given by a company in the form of a limited liability company (PT) in the form of securities (Sunariyah, 2006) (Husein et al., 2022). With this stock, many companies will find it easy to get funds so as to encourage the economy to be better. Investors can also get high profits from the shares invested. However, this stock price is not always stable, it can go up and down drastically. To avoid this, stock price predictions are needed. This is the reason for researchers to raise stock prices as the object of research (Husein et al., 2021).

Research using stock prices is usually done to find a model of the stock. The model of the stock being searched for can be used to predict stock prices on the following day, month, and year (Rizal and Soraya, 2018). By predicting stock prices, investors can consider decisions to sell or buy shares in order to get the desired profit. Stock price prediction is a process of analyzing the price of a stock and

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#### ABSTRACT

Stock is an investment in the capital market that is very promising for investors. Investors can also

get high returns from the shares invested. However, this stock price is not always stable, it can go up

and down drastically. The purpose of this study is to predict stock prices because they often experi-

ence instability. The method used in this research is using the Exponential generalized autoregressive conditional heteroscedasticity (EGARCH) model with the Quasi Maximum Likelihood (QML) method. The result of this research is the implementation of this model. The EGARCH model used is the stock

price index model that is formed, namely the autoregressive integrated moving average (ARIMA) (0, 1,

2) EGARCH (1.4). The conclusion from the results of the research that predictions using the ARIMA

model (0, 1, 2) EGARCH (1, 4) is the best model in accommodating the asymmetric nature of the

volatility of the stock price index. The results of this egarch model show more optimal prediction

results seen from an error of 3% compared to other modes such as the arch model and the GARCH

also determining the price of a stock in the future (Prakoso, 2019). Stock prices can be used as investments that are quite valuable, but not always the investments made can provide benefits (Poerwanto and Fajriani, 2020). To avoid this, it is necessary to predict stock prices. Similar research on stock price predictions that have existed before, was carried out by Wibowo, et al. with the title "Modeling Banking Stock Return Using Exponential Generalized Autoregressive Conditional Heteroscedasticity (EGARCH)". Research conducted by Wibowo, et al. shows that the visible EGARCH model has the relevant parameters ARIMA([2],0,[2]) EGARCH(1,1), ARIMA([2,4],0,[2,4]) EGARCH(1,1) and ARIMA([4],0,[4]) EGARCH(1,1) (Wibowo et al., 2017). Amelia (2017) with the title "Modeling Volatility Using the Egarch Method in the Jakarta Islamic Index" research conducted by Amelia shows that the best GARCH univariate model is EGARCH (3.3) (Amelia, 2017). Furthermore, Kartika researched on "Exponential EGARCH Modeling Using the Quasi Maximum Likelihood Method". this study shows forecasting using the ARIMA model (0,1,1) egarch (1,4) produces stock price values that are close to the actual data (Kartika, 2020)

To predict stock prices can be seen from the volatility. Volatility is a condition when data moves up and down, it can even move to extremes. Volatility is usually produced by the standard deviation of returns which has important implications in calculating risk (Ariefianto, 2012). In stock price prediction, volatility is used to measure the risk level of stock price selection by looking for volatility modeling. To measure volatility, there are several models that can be used, with this model we can predict stock prices, including the ARCH (Autoregressive Conditional Heterocedasticity) model. This model is described by Engle (1982) in his article on the ARCH model used to measure the estimated means and variance of inflation in the UK (United Kingdom) due to the emergence of volatility clustering or heteroscedasticity. However, this ARCH model has a drawback, namely the higher the lag, the model is not feasible to use, resulting in limited lag that can be used. To minimize the shortcomings in the ARCH model, Bollerslev (1986) developed a GARCH (Generalized Autoregressive Conditional Heterocedasticity) model which has a more flexible lag level. Bollerslev uses GARCH in calculating the stock price index and exchange rate (Engle, 1982). However, this GARCH model also has weaknesses in dealing with the asymmetry phenomenon in volatility. Based on this, the Asymmetric GARCH model was developed to overcome the shortcomings of the GARCH model. The development of the GARCH model includes EGARCH, TGARCH, ARCH-M, etc. These models can be used to predict stock prices in various companies listed on the stock exchange. To be able to use the Asymmetric GARCH model, a method is needed. Methods that can be used include the QML (Quasi Maximum Likelihood) method. the Quasi Maximum Likelihood (QML) method is an estimation method that is carried out on variations in model parameters. The QML method can be used as a time series analysis whose error values do not follow the normal distribution. QML estimation uses the maximum likelihood method as the basis so that the calculation of quasi-variations is the same as the values obtained from the maximum likelihood method (Saida et al., 2016). To find the best model for prediction by using EGARCH model to see the efectifity from this model.

## **B. LITERATURE REVIEW**

## 1. Time Series Analysis

#### a. Meaning of time series

Time series data is data that has been observed on an object for several periods. This data is usually presented with monthly, quarterly, weekly and daily period data. An example can be seen through the notation in the following regression equation (Nuryanto and Pambuko, 2018):

$$Y_t = b_0 + b_1 x_t + \ldots + u_t$$
 (1)

#### b. Stationary Test

In testing the consistency of the movement of the data used statistical testing. There are several tests that are used to test statistically, including the Augmented Dickey-Fuller (ADF) test (Wardhono et al., 2019). Augmented Dickey-Fuller is a method to test the stationary level of a data. Stationary testing of the data used is done by seeing whether there is a unit root in the model (Inlistya, 2017).

The Augmented Dickey-Fuller test can be tested with the following hypothesis:

 $\begin{aligned} H_0: |\varphi| &= 1 \text{ (non-stationary data)} \\ H_1: |\varphi| &< 1 \text{ (stationary data)} \end{aligned}$ 

Test statistics

$$T = \frac{\varphi_1 - 1}{SE(\varphi_1 - 1)} \tag{2}$$

## c. White Noise Test

There is a process  $\{a_t\}$  is a process of white noise if the process is a sequence of uncorrelated random variables from a fixed distribution with a constant mean,  $E(a_t) = \mu_a$  which is assumed to be equal to zero, constant variance  $V ar(a_t) =$ , and covariance. Therefore it is called a white noise process  $\sigma^2 \gamma_k = Cov(a_t, a_{t+k}) = 0\{a_t\}$  is a stationary with (Kuntoro, 2015):

#### d. Heteroscedasticity

Heteroscedasticity is the variance of data that is not stable or constant. Heteroscedasticity can occur due to transitions that are not detected in the regression model, such as the transition of the value of a stock's price caused by bad news about the company selling its shares, thus giving the effect of changes in the level of data accuracy. Cross section data, often experience Heteroscedasticity Disorders as well as time series data (time series) (Pratisto, 2004). Heteroscedasticity can symbolically be written as follows:

$$E(u_{i}^{2}) = \sigma_{i}^{2}, \quad i = 1, 2, \dots, n$$
(3)

The symbol of the  $u_i$  shows the disturbance factor (error)

The effect of heteroscedasticity can be seen by the graphical method. The way this method works is by checking the condition of the scatter plot between the value of a prediction of a related variable and the remainder. If in the scatter plot it is found that the plot makes a pattern, the patterns can be: wavy, funnel, and enlarge and then decrease, then the data can be said to be heteroscedasticity.

#### e. EGARCH Models

The EGARCH model is a variant of the ARCH/GARCH model. This EGARCH model is also an ARCH model that accommodates asymmetric fluctuations to exponential volatility.

In the EGARCH model (*p*, *q*) can be formulated as:

$$\sum_{l n \sigma_{t}}^{2} \sum_{\sigma_{t}}^{2} \sum_{\sigma_{t-j}}^{2} \sum_{r} \sum_{\underline{\varepsilon}_{t-j}}^{2} \sum_{\underline{\varepsilon}_{t-k}}^{2} \sum_{\sigma_{t-j}}^{2} \sum_{r} \sum_{\underline{\varepsilon}_{t-k}}^{2} \sum_{\mu} \sum_{\sigma_{t-j}}^{2} \sum_{r} \sum_{\mu} \sum_{\sigma_{t-k}}^{2} \sum_{\sigma_$$

where is the constant of the model parameter EGARCH(p, q).  $\alpha_0$ ,  $\alpha_i$ ,  $\beta_j$ 

#### 2. Parameter Estimation

#### a. Quasi Maximum Likelihood Method

QML is a predictive method on parameter variances. utilization of the maximum likelihood method is still used as the basis for estimating the quasi maximum likelihood (QML) method.

The likelihood function is written as:

$$L(\varepsilon_1, \ldots, \varepsilon_T / \vartheta) = \frac{\Psi}{\sqrt[t]{t=1}} \frac{1}{2\varphi\sigma_t^2} \exp \frac{\frac{2}{t}}{\frac{2\varphi\sigma_t^2}{2}}$$
(5)

By utilizing the natural logarithm conditions, the log likelihood function can be arranged as follows (provided that the constants are ignored):

$$I_t(\vartheta) = \frac{1}{2T} \frac{2^T}{\underset{t=1}{t}} \frac{I}{I_t}(\vartheta)$$
(6)

where

$$I_t(\vartheta) = - \ln \sigma_t^2(\vartheta) + \frac{\alpha_t^2}{\alpha_t^2(\vartheta)}$$
(7)

### C. RESEARCH METHOD

#### 1. The Research Sources and Variables

That research variables are properties or properties or values of individuals, items or actions that have certain variations determined by the analyst to concentrate on and then reach conclusions (Sugiyono, 2013). The research data source is the subject

of the data source obtained (Arikunto, 2019). The data used is the stock price index data on a daily basis. Data is available at the Indonesia Stock Exchange office, when data collection is hindered due to the COVID-19 condition, data collection is carried out through the IDX official website. The data collection period is 1 July 2020 to 30 June 2021. The variable of the data used in this study is the stock price return data.

# 2. Data Analysis Techniques

The research carried out was assisted by using EViews 10 software. The steps taken to analyze the data were as follows:

- 1. Make stock data into return data.
- There are several tests used to test statistician, including the Augmented Dickey-Fuller (ADF) test (Wardhono et al., 2019). Performing the Augment Dickey Fuller (ADF) test to perform a statistical test. If the data is not stationary, then differencing is done.
- 3. Identify the ARIMA model by looking at the AR and MA orders on the ACF and PACF correlogram lags in the data. ACF and PACF are used to identify the time series model and to determine the stationary of the data (Inlistya, 2017).
- 4. ARIMA model parameter estimation
- 5. The verification of the model is to test the independence of the residuals and test the normality of the residuals.
- 6. Residual independence test can be seen on the probability value that meets the criteria, which is more than a = 0.05 or the Q-stat lag value of 12, 24, and 36 on the residual correlogram of the ARIMA model.
- 7. The residual normality test is carried out by using the Jarque-Bera test, it meets the requirements if the probability value is more than a = 0.05.
- 8. See the effect of heteroscedasticity by performing the Lagrange Multiplier test. Meets the criteria if the LM value is greater than 0.01.
- 9. Identify the EGARCH model.
- 10. By using the quasi-maximum likelihood method, parameter estimation in the EGARCH model is carried out.
- 11. Choose the best EGARCH model.

## D. RESULTS AND DISCUSSION

#### 1. Description of data

The data used is stock price return data which consists of 241 observations

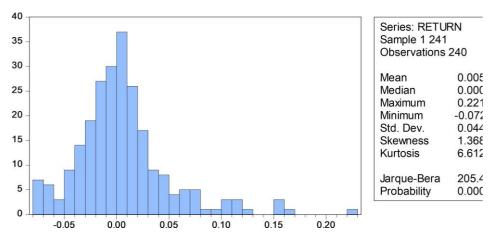
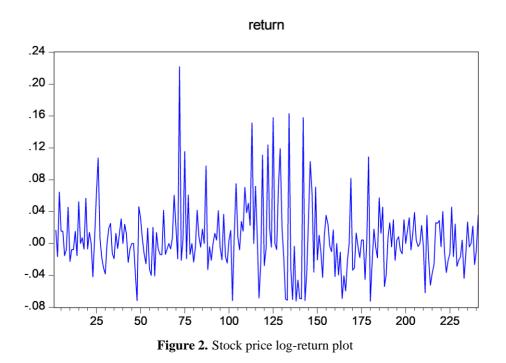


Figure 1. Histogram and descriptive statistics of stock price log-return

The level of the stock price index log-return has a positive mean value, this indicates that the data has increased, a positive skewness indicates that the data is skewed to the right, then the value of kurtosis which is higher than 3 means that the data These have early symptoms of heteroscedasticity.

## 2. Statistically test

In this study, looking back at the statistical log-return data from the stock price index, the results of the stock price log-return plot are as follows



The statistical data is in the mean, besides that, an augmented dicky fuller test will also be carried out, the results of which are as follows.

Table 1. Statistician test result			
t-Statistic			
Augmented Dickey-Fuller test statistic		-15.93616	0.0000
Test critical values:	1% level	-3.457630	
	5% level	-2.873440	
	10% level	-2.573187	

The return data is stationary in the mean because the probability value =  $0.0000 \le 0.05$  or the absolute ADF test value (t-Statistic = -15.93616) is greater than the critical test values 5% level = -2.873440.

## 3. Spatial Effect Test

To identify the ARIMA model, it can be seen from the ACF and PACF plots. The results of the Arima plot are as follows.

pate: 07/26/21 Time: 11:57 ample: 1 241 acluded observations: 240						
Autocorrelation	Partial Correlation		AC	PAC	Q-Stat	Prob
it.	1 (b)	1	-0.035	-0.035	0.3027	0.582
- ( <b>j</b> ) -	101	2	-0.066	-0.067	1.3662	0.505
· 🖿	1	3	0.184	0.180	9.6723	0.022
111	1 (1)	4	0.023	0.031	9.7983	0.044
111	1 10	5	0.022	0.049	9.9231	0.07
ւթ	1 10	6	0.070	0.044	11.135	0.084
1 1	1 1	7	0.001	-0.001	11.136	0.13
10	1 10	8	-0.036	-0.044	11.461	0.17
1.01	1 1	9	0.040	0.016	11.871	0.22
10	1 1	10	0.028	0.021	12.071	0.280
<b></b>		111	-0.149	-0.141	17.716	0.08
· 🖿	1 1	12	0.134	0.125	22.285	0.034
1 1	1 1	13	-0.001	-0.022	22.285	0.05
- D -	1 1	14	-0.074	-0.008	23.689	0.050
ւթ	1 10	15	0.073	0.032	25.057	0.049
10	1 10	16	-0.053	-0.057	25.793	0.05
10	1 10	17	0.025	0.055	25.952	0.07
10	1 1	18	0.040	0.007	26.365	0.092
i Di i	1 10	19	-0.075	-0.062	27.824	0.08
111	1 10	20	0.016	0.020	27.889	0.11:
1 (1)	1 (1)	21	0.043	0.028	28.375	0.13
10	1 (1)	22	0.036	0.036	28.712	0.15
10	1 10	23	0.010	0.053	28.742	0.18
1 1	1 10	24	-0.005	-0.032	28.748	0.23
10	101	25	-0.031	-0.051	29.003	0.26
1 1	1 1	26	-0.005	0.005	29.009	0.31
111	1 (b)	27	0.020	-0.026	29.116	0.355
10	1 (1)	28	-0.062	-0.032	30.171	0.35
i di i	@i	29	-0.086	-0.088	32.184	0.31
1.1	1 10	30	-0.005	-0.044	32.192	0.359
10	1 1	31	-0.039	0.001	32.608	0.388
11	1 10	32	-0.010	0.016	32.638	0.43
1 (B)	i 👘	33	0.080	0.102	34.449	0.398
1.00	ի իր	34	0.028	0.070	34.665	0.43
111	1 10	35	-0.024	-0.018	34.823	0.47
1 11	1 10	36	0.056	0.041	35.715	0.48

Figure 3. Plot ACF PACF at level level

The ACF value from lag 1 to lag 36 is relatively small, approaching the value 0, but we also see that the value of the probability is relatively greater than 0.05, this means that the data is not statistically related to variance so that it is necessary to do differencing on data. The following is the result of the ACF PACF plot that has been differencing 1 time.

# 4. Spatial Heterogeneity Test with R and Geoda Software

Residual independence test is used to detect whether there is a correlation between lags. The following are the results of the residual independence test:

Table 2. Residual independence test result					
Model	Lag	Q-stat	Decision		
ARIMA (0, 1, 1)	12	22.084	H <sub>0</sub> accepted		
	24	28.832	$H_0$ accepted		
	36	36.165	$H_0$ accepted		
ARIMA (0, 1, 2)	12	105.46	$H_0$ accepted		
	24	118.70	$H_0$ accepted		
	36	123.92	H <sub>0</sub> accepted		
ARIMA (0, 1, 3)	12	79.638	H <sub>0</sub> accepted		
	24	88.440	H <sub>0</sub> accepted		
	36	93.955	H <sub>0</sub> accepted		
ARIMA (1, 1, 0)	12	80.963	H <sub>0</sub> accepted		
	24	91.143	H <sub>0</sub> accepted		
	36	99.527	$H_0$ accepted		
ARIMA (2, 1, 0)	12	105.44	$H_0$ accepted		
	24	119.85	H₀ accepted		
	36	125.17	$H_0$ accepted		
ARIMA (3, 1, 0)	12	78.438	H <sub>0</sub> accepted		
	24	87.110	H₀ accepted		
	36	92.466	H <sub>0</sub> accepted		

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all Arima models meet the residual assumptions with the hypothesis:

 $H_0$ : there is a correlation between lag

 $H_1$ : there is no correlation between lags

So that all of these models can be tested for normality of the residuals Residual normality test

The residual normality test is used to determine whether the residual data is normally distributed or not. Here are the results of the residual normality test

Table 3. Residual normality test results				
Model	Jarque bera	Prob.	Decision	
ARIMA (0, 1, 1)	179.5463	0.000000	H <sub>0</sub> rejected	
ARIMA (0, 1, 2)	86.44945	0.000000	H <sub>0</sub> rejected	
ARIMA (0, 1, 3)	86.10540	0.000000	H <sub>0</sub> rejected	
ARIMA (1, 1, 0)	113.0354	0.000000	H <sub>0</sub> rejected	
ARIMA (2, 1, 0)	90.17791	0.000000	H <sub>0</sub> rejected	
ARIMA (3, 1, 0)	85.26047	0.000000	H <sub>0</sub> rejected	

all model residuals are not normally distributed because the probability value is less than a confidence interval of 0.05, which is rejecting  $H_0$ , with the following conditions:

H<sub>0</sub> : presence of ARCH/GARCH effect

H<sub>1</sub> : no effect ARCH/GARCH

## Heteroscedasticity

Test the effect of heteroscedasticity using the white test, the following are the results of the heteroscedasticity test carried out,

Table 4. ARIMA model h	<u>neteroscedasticity test</u> result

Model	Prob.	Decision
ARIMA (0, 1, 1)	0.000000	H <sub>0</sub> accepted
ARIMA (0, 1, 2)	0.000000	H₀ accepted
ARIMA (0, 1, 3)	0.000000	H <sub>0</sub> accepted
ARIMA (1, 1, 0)	0.000000	H₀ accepted
ARIMA (2, 1, 0)	0.000000	H₀ accepted
ARIMA (3, 1, 0)	0.000000	H <sub>0</sub> accepted
-		

There is a heteroscedasticity effect from the residual because the probability value is less than 0.05 or accept  $H_0$ . Therefore, to overcome the problem of hateroscedasticity in the ARIMA model data return, GARCH modeling is carried out, namely EGARCH.

## 5. Identify the EGARCH

The EGARCH model was formed to overcome the heteroscedasticity problem that occurred in the ARIMA model, because the residual test conducted previously stated that the ARIMA model formed had a heteroscedasticity effect, an ARCH/GARCH model was formed to overcome the heteroscedasticity problem, the EGARCH model was formed to address this by looking at The following values of Akaike's Information Criterion (AIC) and Schwarz's Information Criterion (SIC) are AIC/SIC results from the initial EGARCH model.

Model	AIC	SIC
EGARCH $(1, 2)$	-3.410981	-3.338467
EGARCH (1, 4)	-3.402629	-3.301111
EGARCH (2, 1)	-3.458259	-3.385746
EGARCH (2, 2)	-3.491218	-3.404202
EGARCH (3, 3)	-3.487158	-3.371137

It can be seen from the table that the initial EGARCH model to be used is the model that has the smallest AIC and SIC values, and which has the smallest AIC and SIC values is the EGARCH model (1, 4), so the model used is the EGARCH model (1, 4)

## 6. EGARCH model parameter estimation

After determining the EGARCH model, then parameter estimation is carried out, here are the results of the EGARCH model parameter estimation.

Model	Parameter	Prob	Decision
ARIMA(0, 1, 1)	$\varphi_1$	0.8504	H <sub>0</sub> accepted
EGARCH (1, 4)	$a_0$	0.9980	H <sub>0</sub> accepted
	$a_1$	0.9982	H <sub>0</sub> accepted
	γı	0.9998	H <sub>0</sub> accepted
	$\boldsymbol{\vartheta}_4$	0.9995	H <sub>0</sub> accepted
ARIMA(0, 1, 2)	<i>φ</i> <sub>1</sub> 2	0.0078	H <sub>0</sub> rejected
EGARCH (1, 4)	$a_0$	0.1143	H <sub>0</sub> accepted
	$a_1$	0.0000	H <sub>0</sub> rejected
	γı	0.0007	H <sub>0</sub> rejected
	$oldsymbol{artheta}_4$	0.0000	H <sub>0</sub> rejected
ARIMA(0, 1, 3)	$\boldsymbol{\varphi}_3$	0.0176	H <sub>0</sub> rejected
EGARCH (1, 4)	$a_0$	0.1175	H <sub>0</sub> accepted
	$a_1$	0.0000	H <sub>0</sub> rejected
	<b>Y</b> 1	0.0040	H <sub>0</sub> rejected
	$\boldsymbol{\vartheta}_4$	0.1262	$H_0$ accepted
ARIMA(1, 1, 0)	$\omega_1$	0.0000	H₀ rejected
EGARCH (1, 4)	$a_0$	0.1309	H <sub>0</sub> accepted
	$a_1$	0.0001	H₀ rejected
	<b>Y</b> 1	0.0533	H <sub>0</sub> accepted
	$\boldsymbol{\vartheta}_4$	0.0000	H <sub>0</sub> rejected
ARIMA(2, 1, 0)	$\omega_2$	0.6714	H <sub>0</sub> accepted
EGARCH (1, 4)	$a_0$	0.0866	H <sub>0</sub> rejected
	$a_1$	0.0000	H₀ rejected
	γı	0.0140	H <sub>0</sub> rejected
	$\boldsymbol{\vartheta}_4$	0.3107	H <sub>0</sub> accepted
ARIMA(3, 1, 0)	$\omega_3$	0.0097	H <sub>0</sub> rejected
EGARCH (1, 4)	<b>a</b> 0	0.0756	H <sub>0</sub> accepted
	$a_1$	0.0000	H <sub>0</sub> rejected
	γı	0.0018	H <sub>0</sub> rejected
	$\boldsymbol{\vartheta}_4$	0.1162	H <sub>0</sub> accepted

Table 6. EGARCH model	parameter estimation results

There is no model whose all parameters reject  $H_0$  therefore to determine the best model to be used is to look at the smallest AIC and SIC values from the above model, and it can be seen that the model that has the smallest AIC and SIC values is ARIMA (0, 1, 2) EGARCH (1, 4) models.

## 7. Diagnostic Checking model EGARCH

## Residual randomness test

Based on the results of the residual randomness test using the ACF and PACF correlograms, nothing significant until the 36th lag, so it can be seen that the residual value of the ARIMA model (0, 1, 2) EGARCH (1, 4) is random.

Table 7. Test Lagrange Multiplier Model EGARCH				
Model LM Prob. Decision				
ARIMA (0, 1, 2) EGARCH (1, 4)	0.3150	0.3129	H <sub>0</sub> rejected	

The probability value is 0.3129, where the value is greater than the confidence interval value of 0.05 so that we reject H 0 so it can be concluded that the resulting model is ARIMA (0, 1, 2) EGARCH (1, 4) which is estimated to be free from the effect of heteroscedasticity, namely:

$$Y_t = Y_{t-1} + \mu - 0.130606\varepsilon_{t-2} + \varepsilon_t$$

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with

$$\ln(\sigma^{2}) = -0.004 - 0.161 \cdot \frac{\varepsilon_{t-1}}{\sqrt{\sigma_{t-1}}} + 0.237 \frac{\varepsilon_{t-1}}{\sqrt{\sigma_{t-1}}} + 0.461 \ln(\sigma) + 0.187 \ln(\sigma)$$

$$t \cdot \sqrt{\sigma_{t-1}} \cdot \sqrt{\sigma_{t-1}} \cdot \sqrt{\sigma_{t-1}} + 0.215(\sigma_{t-3}) + 0.109(\sigma_{t-4})$$

Based on the known ARIMA (0, 1, 2) model, we can see that this model is a model for the stock price return index that has been transformed back into the form of a stock price index.

## 8. Stock Price Prediction

To find out whether this model is feasible to use in predicting stock prices, it is necessary to first look at the error value, which can be seen in the following figure.

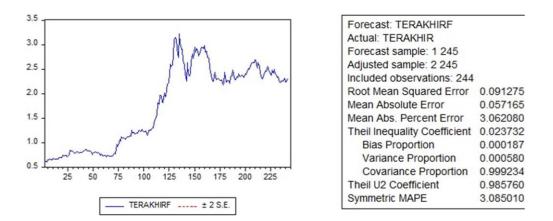


Figure 4. Model feasibility prediction result

The result of the prediction of the feasibility of the model used in predicting stock prices at PT. ANEKA TAMBANG T, bk. It can be seen from the figure that the MAPE error rate (mean abs percent error) is 3.06%.

Predictions are made for the next month from the data used, namely from the beginning of July 2020 to the end of June 2021. The results of the forecasting of the stock price index are as follows.

Table 8. Model feasibility prediction results		
Date	Actual Data	Prediction results
16-06-2021	2.320	2.334648
17-06-2021	2.330	2.345889
18-06-2021	2.230	2.238753
21-06-2021	2.200	2.223282
22-06-2021	2.260	2.273208
23-06-2021	2.250	2.253351
24-06-2021	2.250	2.261178
25-06-2021	2.300	2.308584
28-06-2021	2.240	2.243076
29-06-2021	2.220	2.237104

In this study, from the prediction results from the stock data obtained, it can be concluded that there was an increase in the stock price of PT ANEKA TAMBANG T, bk. There was a continuous increase in prices as we can see on 1/7/2021 and continued to increase until 30/7/2021. So that it can be a reference for investors to see volatility as a reference, they can buy shares or sell them as a market strategy. In this section, it is explained the results of research and at the same time is given the comprehensive discussion. Results can be presented in figures, graphs, tables and others that make the reader understand easily [2, 5]. The discussion can be made in several sub-chapters.

## E. CONCLUSION AND SUGGESTION

Based on the results and discussion it can be concluded that Implementation of the EGARCH model on the price index of PT. ANEKA TAMBANG, Tbk. years 2020-2021 u sing the Quasi Maximum Likelihood method are as follows,  $Y_t = Y_{t-1} + \mu - 0.130606\varepsilon_{t-2} + \varepsilon_t$  with  $\ln(\sigma_t^2) = -0.004 - 0.161$  :  $\frac{\varepsilon_{t-1}}{\sqrt{\sigma_{t-1}}}$  : +0.237  $\frac{\varepsilon_{t-1}}{\sqrt{\sigma_{t-1}}}$  +0.461  $\ln(\sigma_{t-1})$ +0.187  $\ln(\sigma_{t-2})$ +0.215( $\sigma_{t-3}$ )+ 0.109( $\sigma_{t-4}$ ). The results of the study provide stock price predictions using the ARIMA model (0, 1, 2) EGARCH (1, 4) is the best model in accommodating the asymmetric nature of the volatility of the stock price index of PT. ANEKA TAMBANG, Tbk

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